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Unmanning procedures



Source: https://factpages.sodir.no/pbl/field_jpgs/43590_Heimdal.jpg

What triggers unmanning

11.2 Assessment principles

Existing facilities where the main load-bearing structure do not meet the criteria for ULS or ALS in NORSOK N001:2020+AC:2021, related to environmental actions that can be forecasted (like wave and wind actions), may continue to be used if the following five requirements are fulfilled:

- a) shutdown and unmanning procedures are implemented, in accordance with procedures given in 13.3;
- b) the environmental actions will not jeopardize any other (non-structural) required main safety functions, taking into account the shutdown and unmanning procedure, for the facility during the storm, as given in 13.3.1;
- c) the risk related to significant pollution is found acceptable, according to 13.3.3;
- d) failures do not have unacceptable consequence for nearby facilities, see requirements in 13.3.2¹;
- e) the main load-bearing structure can resist either of
 - 1) the ULS action (action combination "b") for wave, current and wind action with a partial action factor of 1,15, or
 - 2) a wave, current and wind combination action with an annual exceedance probability of 1×10^{-3} , checked according to the principles for ALS and the requirements given in 11.4.3.3, list item a).



13.3 Shutdown and unmanning

The threshold for shutdown and unmanning shall be based on **the worst of:**

- an annual probability of 1×10^{-4} of the main safety functions being impaired;
- the probability of the main safety functions being impaired in a forecasted storm are:
 - less than 10 %, or
 - less than 5 %, if only the worst 3-hourly sea state in the storm is considered.
- The unmanning procedure shall consider uncertainties in the forecasted weather conditions.



13.3.2 Shutdown and unmanning criteria for jacket structural integrity

For jacket structures with significant redundancy, the threshold for shutdown and unmanning may be based on a 5×10^{-4} annual probability of the relevant limit states being exceeded. Significant redundancy in this context includes structures which do not display global brittle failure modes.

Note: It is assumed that this gives a safety level in accordance with N-001. The basis for this assumption is further described in A.13.3.2



A.13.3 Shutdown and unmanning - commentary to 13.3

A.13.3.1 General - commentary to 13-3-1

- The implementation of shutdown and unmanning criteria needs to consider all aspects of structural reliability and probability of major pollution.
- Decision to start unmanning is typically taken 3-days ahead of the predicted storm peak, and further actions considered, and final unmanning is normally performed 1-day ahead of the storm peak.
- The unmanning procedure normally considers the forecast uncertainty by increasing the forecasted h_s according to the uncertainty of the forecasted storm. Forecast uncertainty will vary based on the lead time of the forecast.

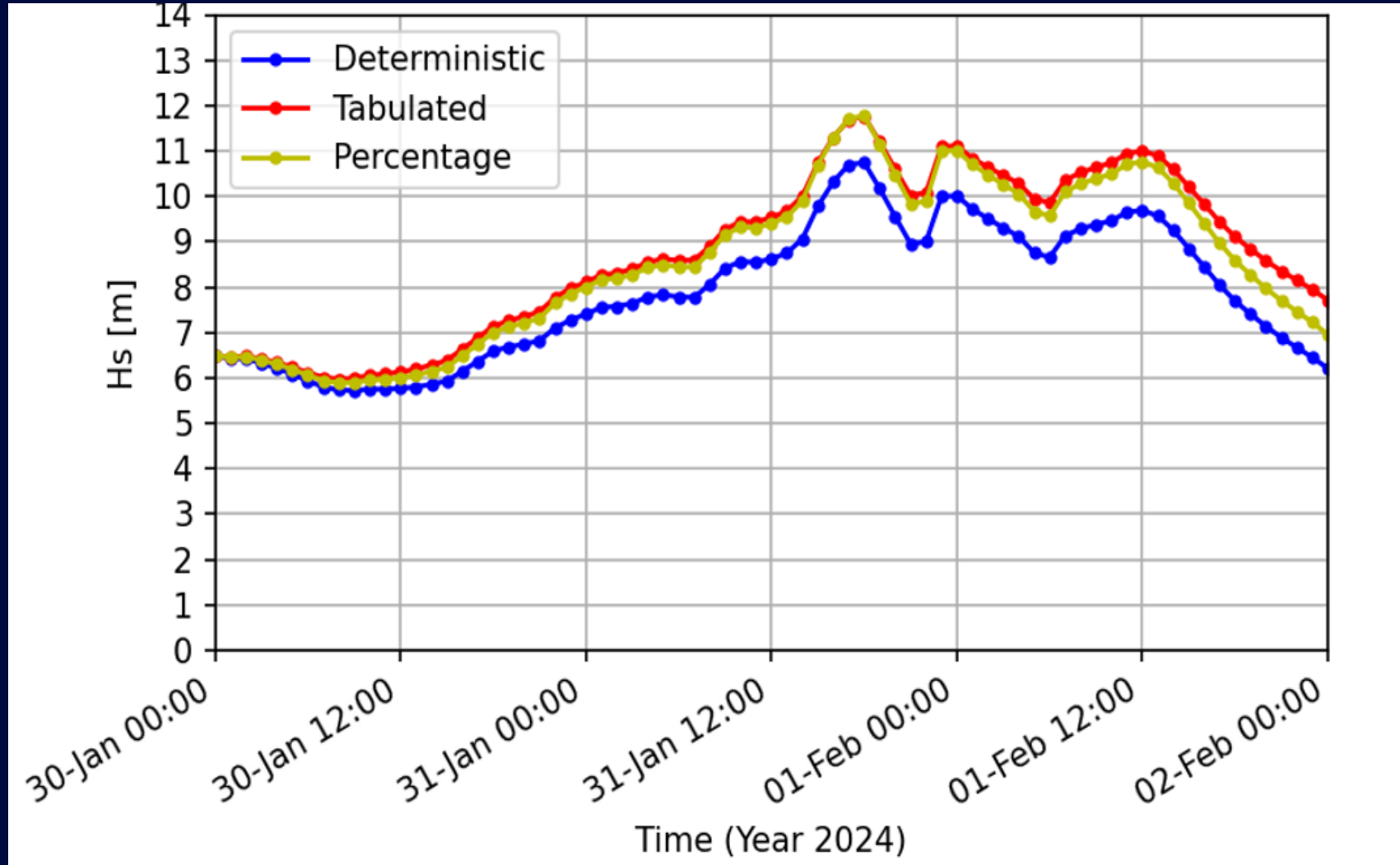


Forecast uncertainty

- The uncertainty can be estimated by evaluating the skills of historical forecasts or from ensemble forecast.
- Unless other data are available, uncertainties in weather forecast may be accounted for by the following safety margins:
 - 72 h forecast: Increase the forecasted h_s by $\min(h_s+1,5 \text{ m}; 1,12h_s)$
 - 48 h forecast: Increase the forecasted h_s by $\min(h_s+1,1 \text{ m}; 1,10h_s)$
 - 24 h forecast: Increase the forecasted h_s by $\min(h_s+0,7 \text{ m}; 1,08h_s)$
- The sea state steepness may be assumed preserved.



Tabulated forecast uncertainty



Shutdown and unmanning criteria related to upwell on floating structures

- Procedures for shutdown, unmanning and relocation of personnel related to upwell on a floating structure shall include platform motions.
- The criteria for shutdown, unmanning and relocation of personnel may be established by the response at a 1×10^{-4} level of exceedance probability obtained from either of
 - an in-storm criteria based on the forecasted storm profile (including at least H_s and T_p), or
 - a long-term analysis at the peak of the storm condition H_{sp} .
- The associated uncertainty in the storm profile may be addressed either by applying the simplified approach provided in this clause (for 72 h, 48 h and 24 h forecast), or by using an ensemble of forecasted storms.



Example of establish unmanning criteria

$$F_{C_{3h}}(c) = \frac{1}{K} \int_{h_s=0}^{h_s=h_{s,thr}} \int_{t_p=0}^{\infty} F_{C_{3h}|HsTp}(c|h_s, t_p) f_{Hs, Tp}(h_s, t_p) dt_p dh_s$$

$h_{s,thr} = 16 \text{ m}$

for $q = 5 \times 10^{-4}$ $c_{lim} = 19.8 \text{ m}$

for $q = 1 \times 10^{-4}$ $c_{lim} = 21.2 \text{ m}$

Storm constraint

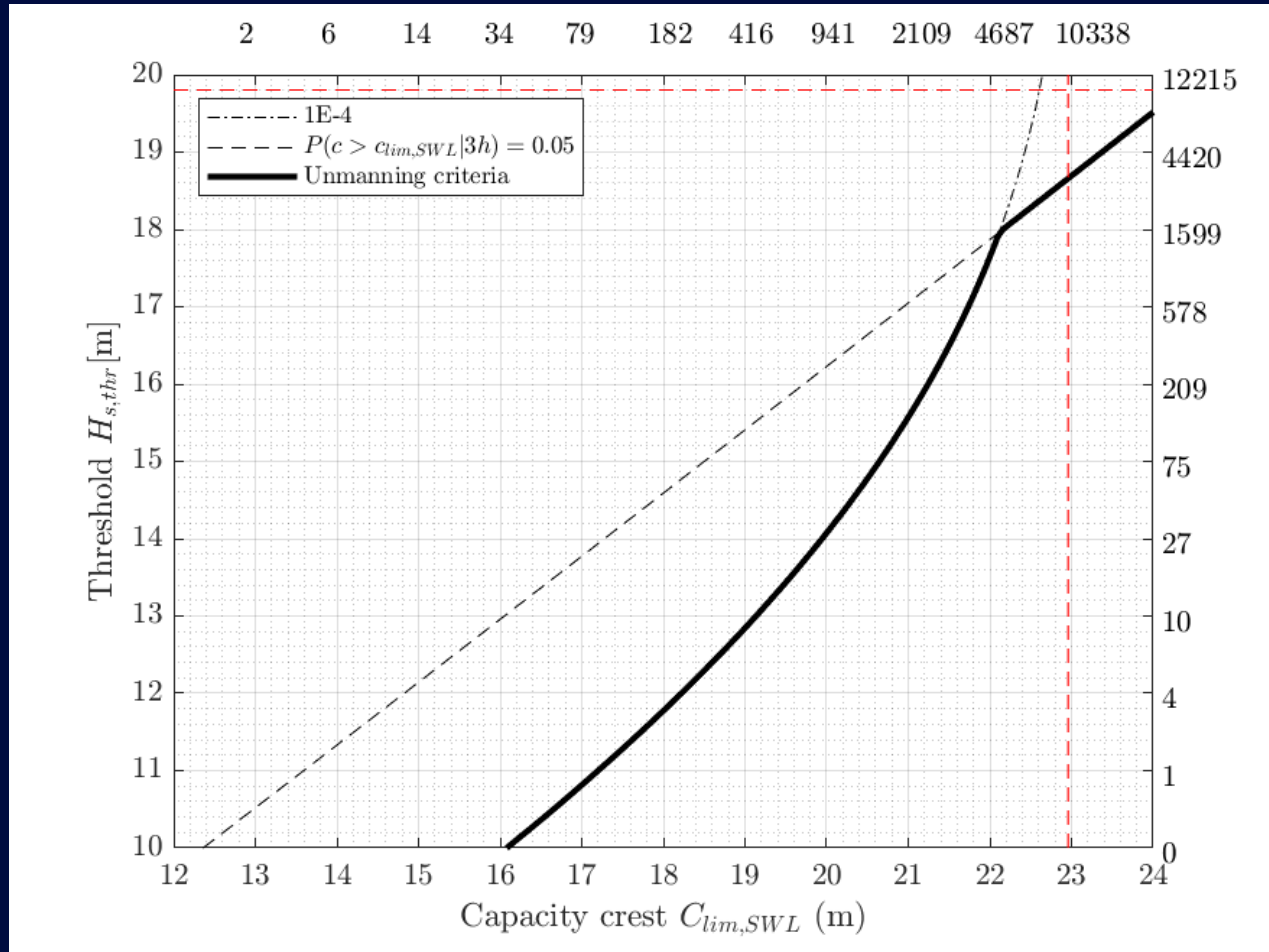
$$c_{P95} = \alpha_c H_s \left[-\ln \left(1 - 0.95^{\frac{1}{n_{3h}}} \right) \right]^{\frac{1}{\beta_c}} = 19.7 \text{ m}$$

21-22	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
20-21	0	0	0	0	0	0	0	0	0	0	0	1	1	1	0	0	0	0
19-20	0	0	0	0	0	0	0	0	0	0	0	1	3	3	2	1	0	0
18-19	0	0	0	0	0	0	0	0	0	0	0	6	9	8	4	1	0	0
17-18	0	0	0	0	0	0	0	0	2	11	25	29	18	7	2	0	0	0
16-17	0	0	0	0	0	0	0	2	15	55	89	73	34	9	2	0	0	0
15-16	0	0	0	0	0	1	16	95	232	260	151	50	10	1	0	0	0	0
14-15	0	0	0	0	0	11	123	484	789	611	252	61	9	1	0	0	0	0
13-14	0	0	0	0	5	113	783	1975	2142	1141	333	58	7	1	0	0	0	0
12-13	0	0	0	1	72	952	3958	6335	4573	1688	354	46	4	0	0	0	0	0
11-12	0	0	0	31	855	6205	15375	15704	7649	2000	310	31	2	0	0	0	0	0
10-11	0	0	10	582	7616	30115	44979	30004	10213	1979	239	19	1	0	0	0	0	0
9-10	0	3	326	7624	48011	105856	98841	45303	11492	1782	183	13	1	0	0	0	0	0
8-9	1	175	6822	65206	206723	268715	168141	57587	11999	1660	164	12	1	0	0	0	0	0
7-8	108	6213	81874	349177	607216	510538	237355	68066	13174	1853	202	18	1	0	0	0	0	0
6-7	6520	104535	544560	1180968	1273322	782860	306370	83456	17021	2758	373	44	5	0	0	0	0	0
5-6	145886	837568	2080873	2688624	2074119	1064497	396161	114537	27187	5539	1004	166	26	4	1	0	0	0
4-5	1325115	3482183	5013577	4544926	2881988	1386477	539060	177967	51868	13760	3404	800	182	40	9	0	0	0
3-4	5680791	8548794	8536236	6266839	3649375	1784474	765019	297196	107316	36736	12105	3886	1226	383	119	0	0	0
2-3	13469315	14006654	11206177	7406854	4256234	2206940	1061405	483335	211671	90217	37764	15634	6436	2646	1089	0	0	0
1-2	19303468	15938067	11267763	7140566	4187492	2324506	1241574	645804	330062	166867	83873	42074	21126	10642	5386	0	0	0
0-1	7626391	5573428	3701426	2304779	1373858	795238	451472	253183	140977	78237	43394	24105	13431	7515	4226	0	0	0
Hs/Tp	7-8	8-9	9-10	10-11	11-12	12-13	13-14	14-15	15-16	16-17	17-18	18-19	19-20	20-21	21-22			

Unmanned installation



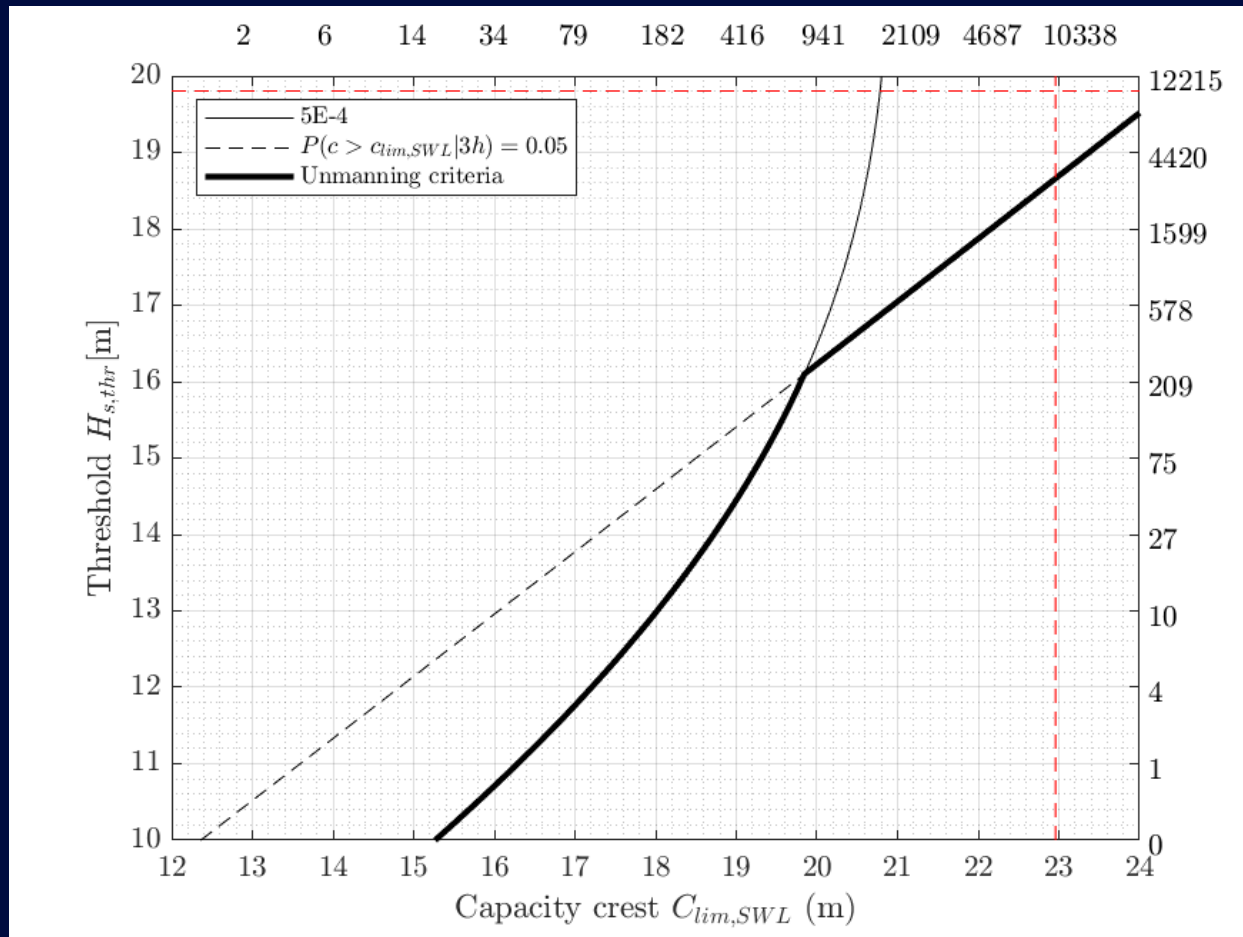
Unmanning / relocation for safe area using 1×10^{-4}



$h_{s,thr}$	C_{lim} $q = 1 \times 10^{-4}$	C_{lim} P95	Return Period $h_{s,thr}$	Fractile C_{lim} for $q = 1 \times 10^{-4}$
12.0	18.2	14.8	3.5	0.99953
12.5	18.7	15.4	5.9	0.99928
13.0	19.1	16.1	9.8	0.99891
13.5	19.6	16.7	16.3	0.99836
14.0	19.9	17.3	27.2	0.99754
14.5	20.3	17.9	45.3	0.99632
15.0	20.6	18.5	75.4	0.99454
15.5	21.0	19.1	125.5	0.99193
16.0	21.2	19.7	208.8	0.98815
16.5	21.5	20.3	347.5	0.98268
17.0	21.7	20.9	578.0	0.97494
17.5	21.9	21.5	961.4	0.96401
18.0	22.1	22.2	1598.9	0.94880
18.5	22.3	22.8	2658.7	0.92797



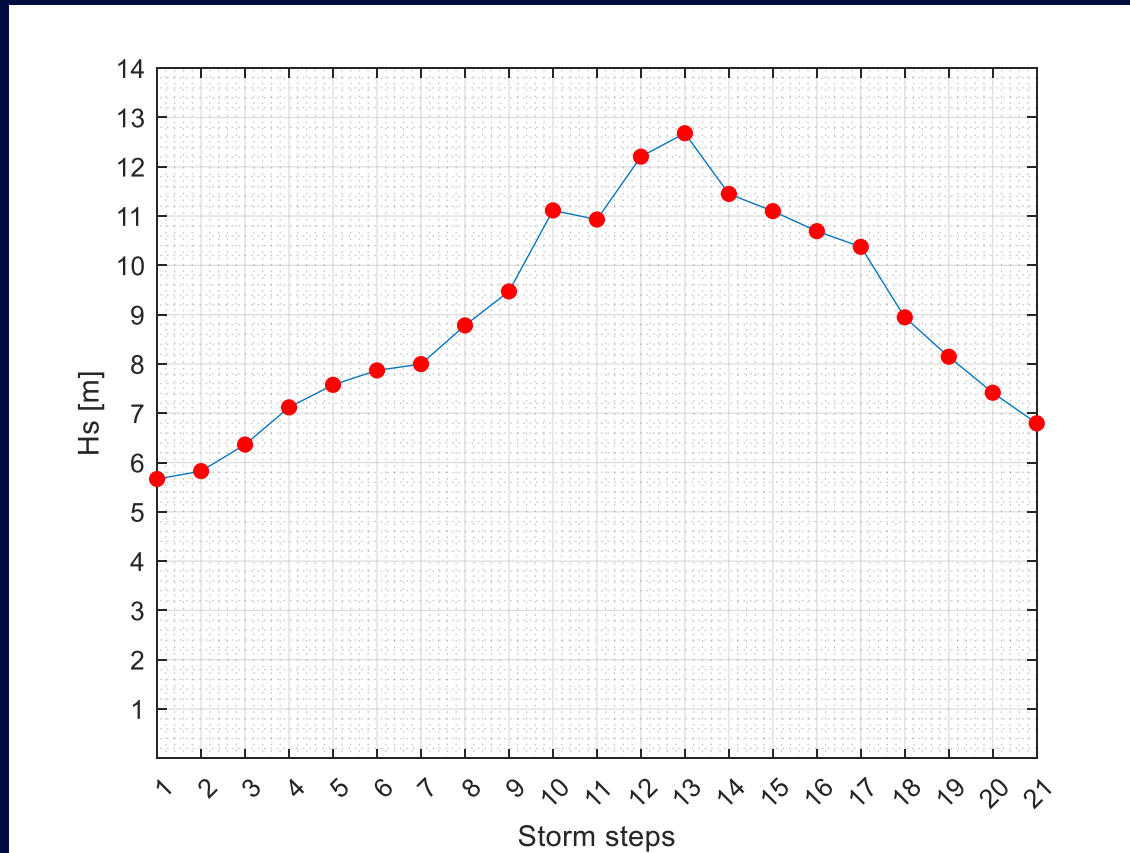
Unmanning for structural integrity of jacket using 5×10^{-4}



$h_{s,thr}$	C_{lim} $q = 5 \times 10^{-4}$	C_{lim} P95	Return Period $h_{s,thr}$	Fractile C_{lim} for $q = 5 \times 10^{-4}$
12.0	17.2	14.8	3.5	0.99790
12.5	17.6	15.4	5.9	0.99685
13.0	18.0	16.1	9.8	0.99529
13.5	18.4	16.7	16.3	0.99299
14.0	18.7	17.3	27.2	0.98963
14.5	19.0	17.9	45.3	0.98474
15.0	19.3	18.5	75.4	0.97768
15.5	19.6	19.1	125.5	0.96764
16.0	19.8	19.7	208.8	0.95341
16.5	20.0	20.3	347.5	0.93367
17.0	20.2	20.9	578.0	0.90666
17.5	20.3	21.5	961.4	0.87045
18.0	20.5	22.2	1598.9	0.82294
18.5	20.6	22.8	2658.7	0.76251



Distribution of the largest response in a «storm»



By assuming that the adjacent steps in a storm are statistically independent, the distribution function for the extreme value y for a storm profile with m storm steps is given by:

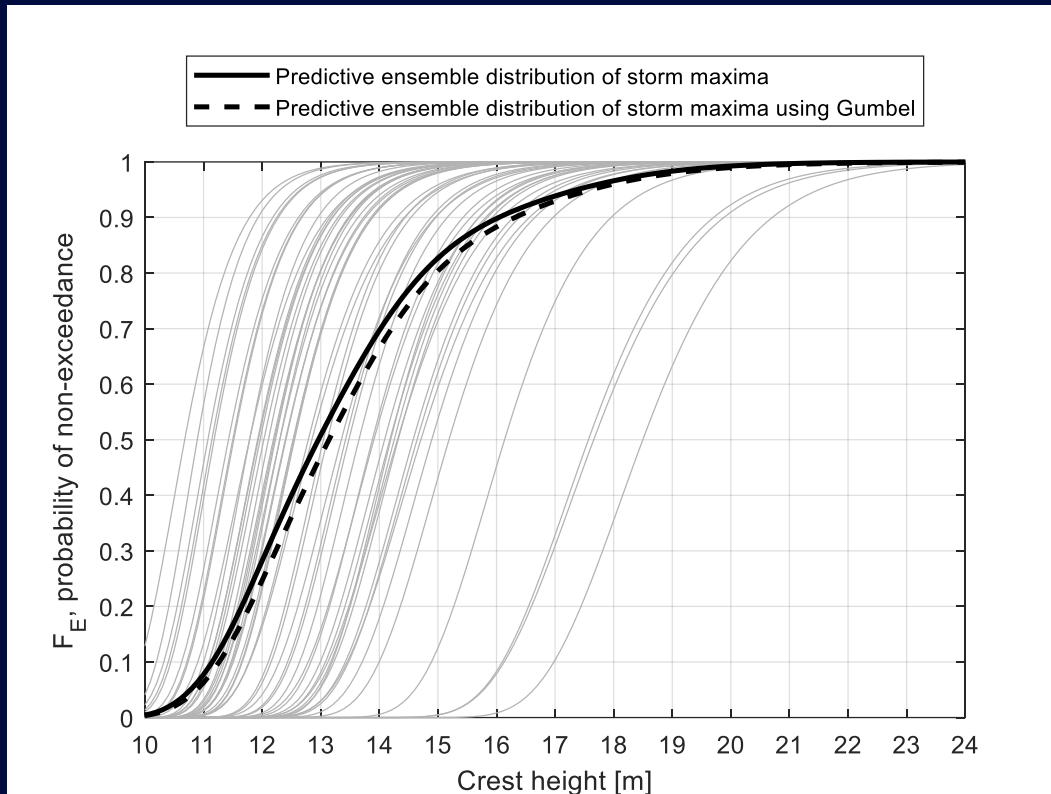
$$\begin{aligned} F_Y(y) &= P[(Y_1 \leq y) \cap (Y_2 \leq y) \cap \dots \cap (Y_m \leq y)] \\ &= \prod_{i=1}^m F_{Y_{3h}^m}(y) \end{aligned}$$

where $F_{Y_{3h}^m}(y) = F_{Y_m}^{n_{3h}}(y)$

All relevant data for the response under consideration can be included at each time step.



Predictive distribution of maximum response derived from an ensemble

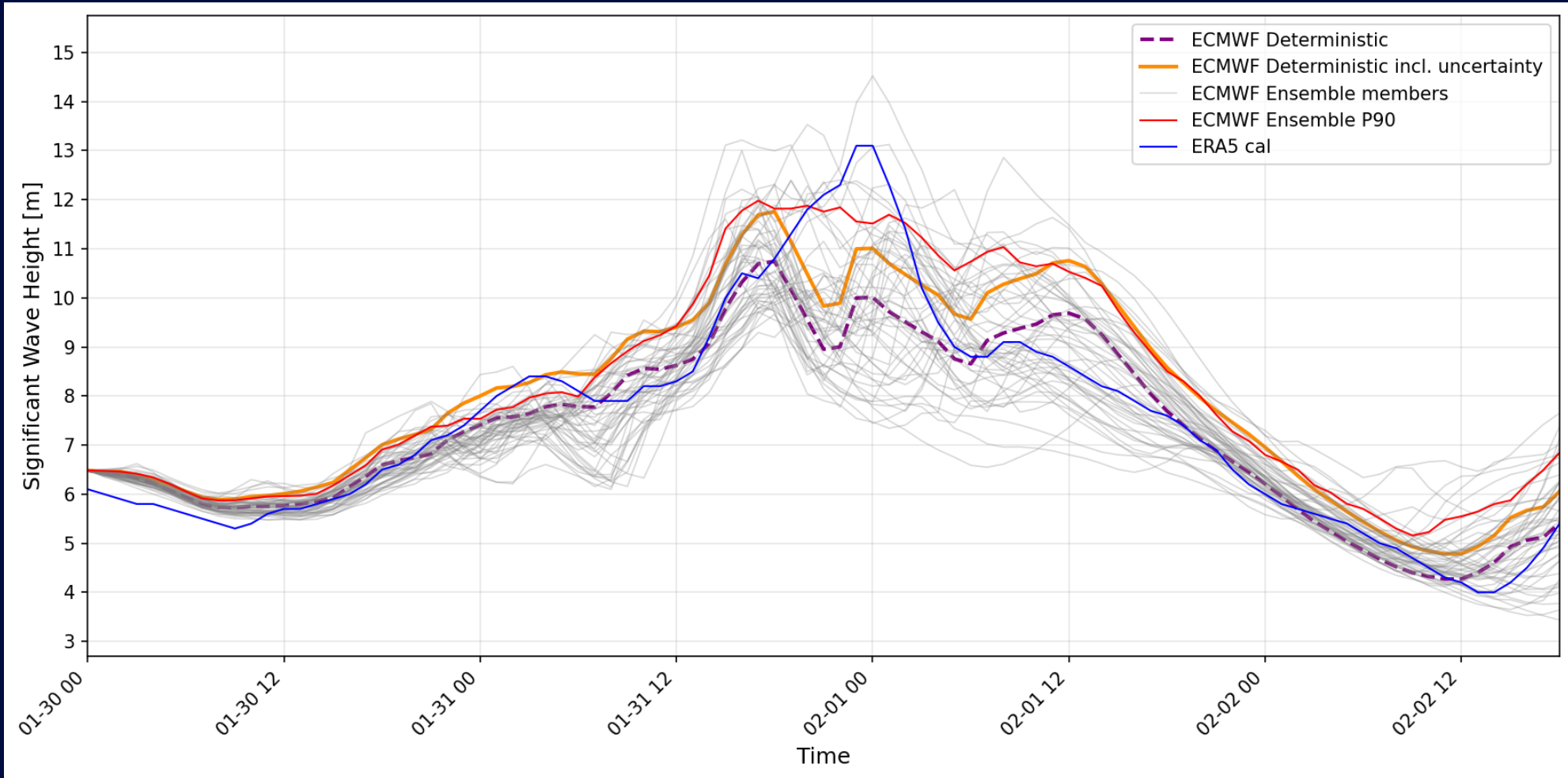


Each ensemble member is considered equally likely, with a probability of $1/k_0$. The marginal distribution of the maximum response over the storm is then obtained by averaging the probability distributions across all ensemble members.

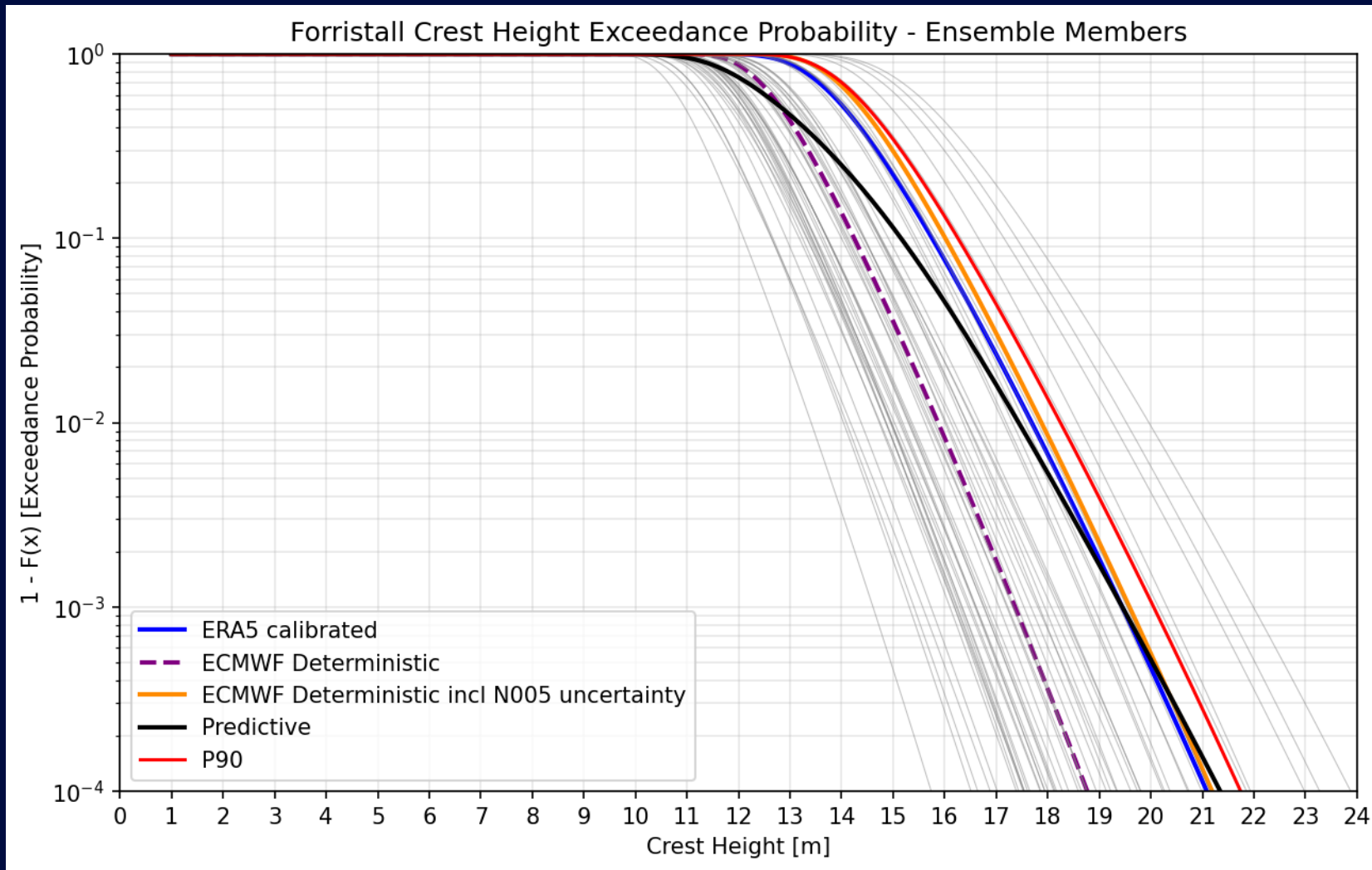
$$F_Y(y) = \frac{1}{k_0} \sum_k F_{Y|k}(y|k)$$



Example of storm



Distribution of the largest crest in the storm



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